

# Modelling the dust in KROME

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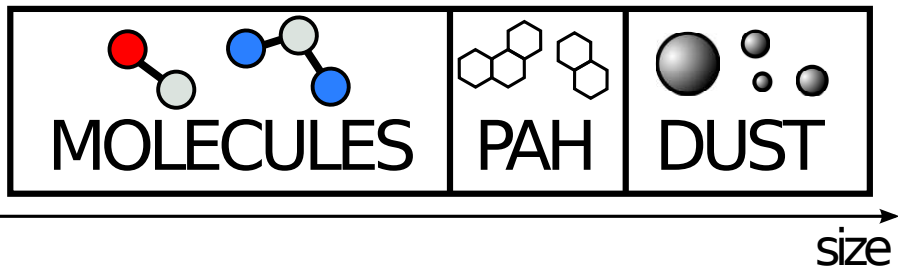
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## Aims of this talk

- 1 Understand that ~~photochemistry~~<sup>dust</sup> is a mess
- 2 Realize that KROME saves your day

- *another one bites the dust*  
(Queen)



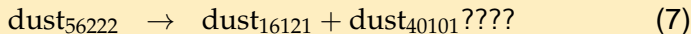
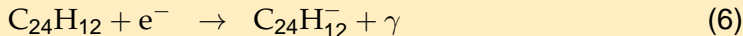
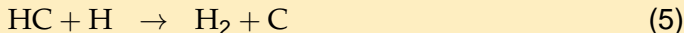
$$\rho_{gr} = 1.22 \text{ g/cm}^3 \quad (1)$$

$$a = 5 \times 10^{-7} \text{ cm} \quad (2)$$

$$M = \frac{4}{3}\pi a^3 \rho_{gr} \simeq 6 \times 10^{-19} \text{ g} \quad (3)$$

$$N = \frac{M}{m_C} \simeq 3 \times 10^4 \text{ atoms} \quad (4)$$

## Reactions for grains



## Expand chemical network

H, C, O

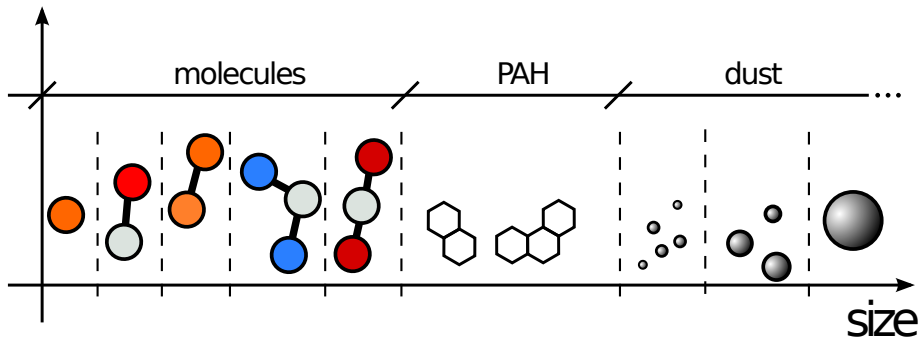
H<sub>2</sub>, C<sub>2</sub>, HC, ...

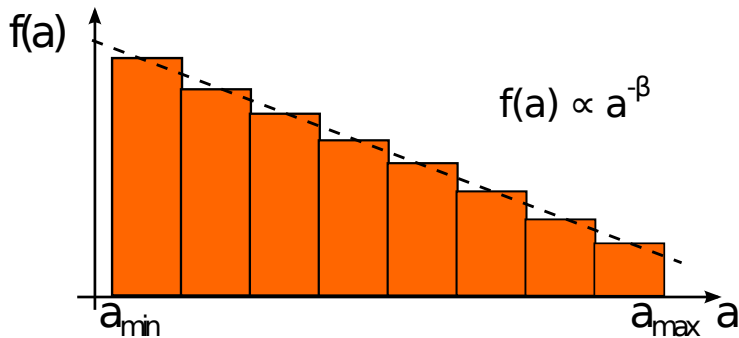
H<sub>2</sub>O, CO<sub>2</sub>, O<sub>3</sub>, ...

CH<sub>3</sub>, H<sub>2</sub>O<sub>2</sub>, H<sub>2</sub>C<sub>2</sub>, ...

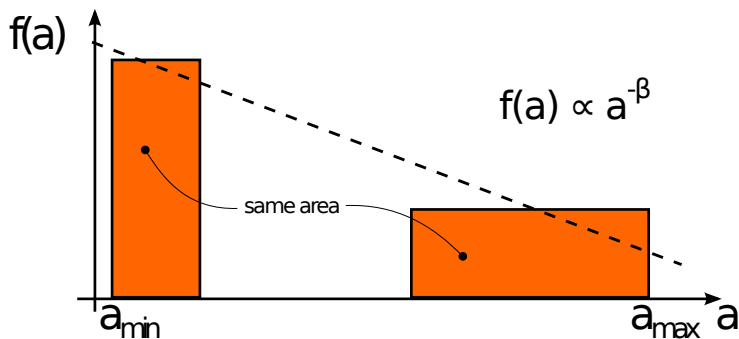
HC<sub>4</sub>, CH<sub>4</sub>, H<sub>2</sub>CO<sub>2</sub>, C<sub>5</sub>, C<sub>2</sub>H<sub>3</sub>, ...

# KROME Bootcamp 2014 - Dealing with grains





$$C \int_{a_{\min}}^{a_{\max}} f(a) da = C \sum_{i=0}^{N_{\text{dust}}} f_i^{\text{dust}} \Delta a_i = 1$$



$$x_i^{dust} = f_i^{dust} \Delta a_i = \frac{1}{N_{dust}} \quad \forall i$$

## How KROME computes the bin size

$$\zeta = \int_{a_{min}}^{a_{max}} a^{-\beta} da \quad (8)$$

$$\zeta = \frac{a_{max}^{1-\beta} - a_{min}^{1-\beta}}{1-\beta} \quad (9)$$

$$\frac{\zeta}{N} = \int_{a_0}^{a_1} a^{-\beta} da \quad (10)$$

$$a_1 = \left[ \frac{\zeta}{N}(1-\beta) + a_0^{1-\beta} \right]^{1/(1-\beta)} = g(a_0) \quad (11)$$

$$a_{i+1} = g(a_i) \quad (12)$$



## Internal variables

```
xdust(ndust)
krome_dust_asize(ndust)
krome_dust_asize2(ndust)
krome_dust_asize3(ndust)
krome_dust_aspan(ndust)
krome_dust_partner_ratio(ndust)
krome_dust_partner_ratio_inv(ndust)
krome_dust_partner_idx(ndustTypes)
krome_dust_T(ndust)
```

$$a_{span} = \Delta a \quad (13)$$

$$r_{par} = \frac{a^3 \rho_{gr}}{m_{par}} \quad (14)$$

# KROME Bootcamp 2014 - Array size



```
./krome my_favourite_network -dust=5,C,Si  
      ndust = 5 × 2 = 10  
      ndustTypes = 2
```

## Initialize the dust

```
call krome_set_dust_distribution(alow=5d-7, &
                                aup=2.5d-5, beta=-3.5d0)
call krome_set_dust_distribution()
call krome_scale_dust_gas_ratio(ratio, x(:))
call krome(x(:), Tgas, dt)
```

## Old way (not supported any more)

```
call krome_set_dust_distribution(adust(:), xdust(:), &
                                ratio,alow=5d-7, aup=2.5d-5, beta=-3.5d0)
call krome(x(:), Tgas, dt, adust(:), xdust(:))
```

```
xd(:) = krome_get_dust_distribution()
ad(:) = krome_get_dust_size()
```

```
./krome -n awesome_network -dust=10,C -dustOptions=GROWTH
```

## Growth equations (Dwek+1998)

$$R_+ = c_d \pi a^2 (n_d + \varepsilon) n_p S(T_d, T_g) v_g \quad (15)$$

$$v_g = \sqrt{\frac{8k_b}{\pi m_p} T_g} \quad (16)$$

$$c_d = 10^{-4} \quad (17)$$

$$\varepsilon = 10^{-12} \quad (18)$$

$$S(T_g, T_d) = c_0 T_g (c_1 T_d + c_2) e^{-c_3 T_g} \quad (19)$$

```
./krome -n lovely_network -dust=10,C -dustOptions=SPUTTER
```

## Thermal sputtering equations (Nozawa+2006)

$$R_- = \pi a^2 n_d v_g \sum_{i \in \text{ions}} n_i Y_i(T_g) \quad (20)$$

$$v_g = \sqrt{\frac{8k_b}{\pi m_p} T_g} \quad (21)$$

$$Y_i = \frac{e^{-c_0 \log T_g}}{c_1 + c_2 \log T_g} + c_3 \quad (22)$$

```
./krome -n wtf_network -dust=10,C -dustOptions=H2
```

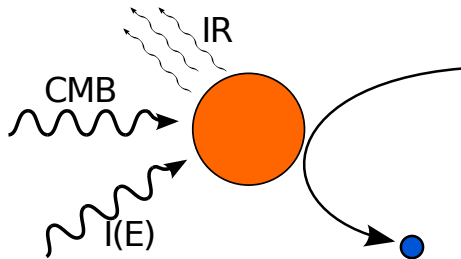
## H<sub>2</sub> on surface, equations (Cazaux+2009)

$$\dot{n}_{\text{H}_2} = \frac{\pi v_g n_{\text{H}}}{2} \sum_{i \in \text{bins}} \sum_{j \in \text{types}} \epsilon_j [T_g, T_d(i)] n_d(i) a_i^2 S_{\text{H}_2}(T_g, T_d)$$

$$v_g = \sqrt{\frac{8k_b}{\pi m_p} T_g} \quad (23)$$

$$S_{\text{H}_2} = \left[ 1 + 0.4 \sqrt{T_{g*} + T_{d*}} + 0.2 T_{g*} + 0.08 T_{g*}^2 \right]^{-1} \quad (24)$$

$$\epsilon_j [T_g, T_d(i)] = \text{a nice LaTeX exercise} + \text{typo} \quad (25)$$



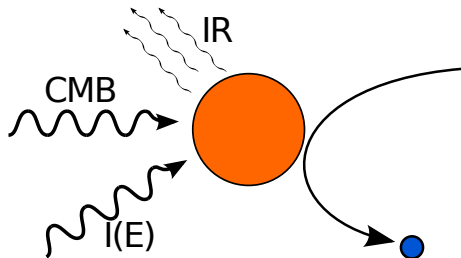
## Kirchoff's law:

“and in the end / the radiation you take / is equal to the one / you make”

$$\Gamma_{em} = \Gamma_{abs} + \Gamma_{CMB} \quad (26)$$

$$\int Q(a, E) B[E, T_d(a)] dE = \int Q(a, E) I(E) dE \quad (27)$$

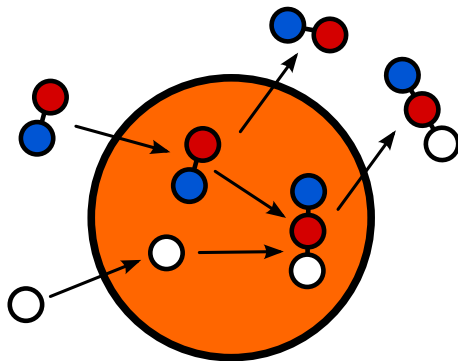
$$+ \int Q(a, E) B[E, T_{CMB}] dE$$



## Gas coupling

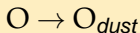
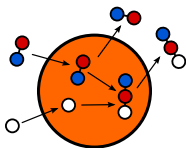
$$\Lambda_{dust} = 2\pi a^2 n_g n_d v_g k_b (T_g - T_d) \quad \text{erg cm}^{-3} \text{ s}^{-1} \quad (28)$$





## Gas-grain chemistry

- Adsorption (gas  $\rightarrow$  dust)
- Desorption (dust  $\rightarrow$  gas)
- Surface chemistry (dust  $\rightarrow$  dust)

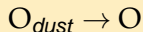
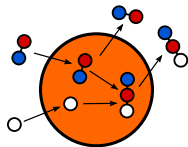


## Adsorption

$$k_a = \pi a^2 v_g n_d(a) S_a(T_g, T_d(a)) \quad (29)$$

$$S_a(T_g, T_d) = \left[ 1 + 0.4 \sqrt{T_{g*} + T_{d*}} + 0.2 T_{g*} + 0.08 T_{g*}^2 \right]^{-1} \quad (30)$$

$$v_g = \sqrt{\frac{8k_b}{\pi m_j} T_g} \quad (31)$$



## Desorption

$$k_e = \nu_0 \left[ F_{bare} \exp\left(-\frac{E_{bare,i}}{T_d}\right) + F_{ice} \exp\left(-\frac{E_{ice,i}}{T_d}\right) \right] \quad (32)$$

$$F_{ice} = \min \left[ \frac{n_{\text{H}_2\text{O}}}{n_d n_s}, 1 \right] \quad F_{bare} = 1 - F_{ice} \quad (33)$$

$$n_d n_s = \phi = n_d \sigma_d \frac{4}{a_{pp}^2} \quad (34)$$

# KROME Bootcamp 2014 - Bootcamp recap

- solver
- GPU porting
- improve CR heating
- please, more plot tools (gnuplot is nice, but. . .)
- improve partition functions
- upgrade some interfaces
- new tools
- new user functions
- . . .

## Feedback form

password: \* \* \* \* \* \* \* \* \* \* \* \* \* \* \* \*

# Thank you for your attention!

“Given enough eyeballs, all bugs are shallow.”  
(Eric S. Raymond)



<http://kromepackage.org/>  
<http://kromepackage.org/bootcamp>